



香港中文大學  
The Chinese University of Hong Kong

# CMSC5743

## L03: CNN Accurate Speedup II

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Fall 2020



# Overview

MNN Architecture

MNN Backend and Runtime



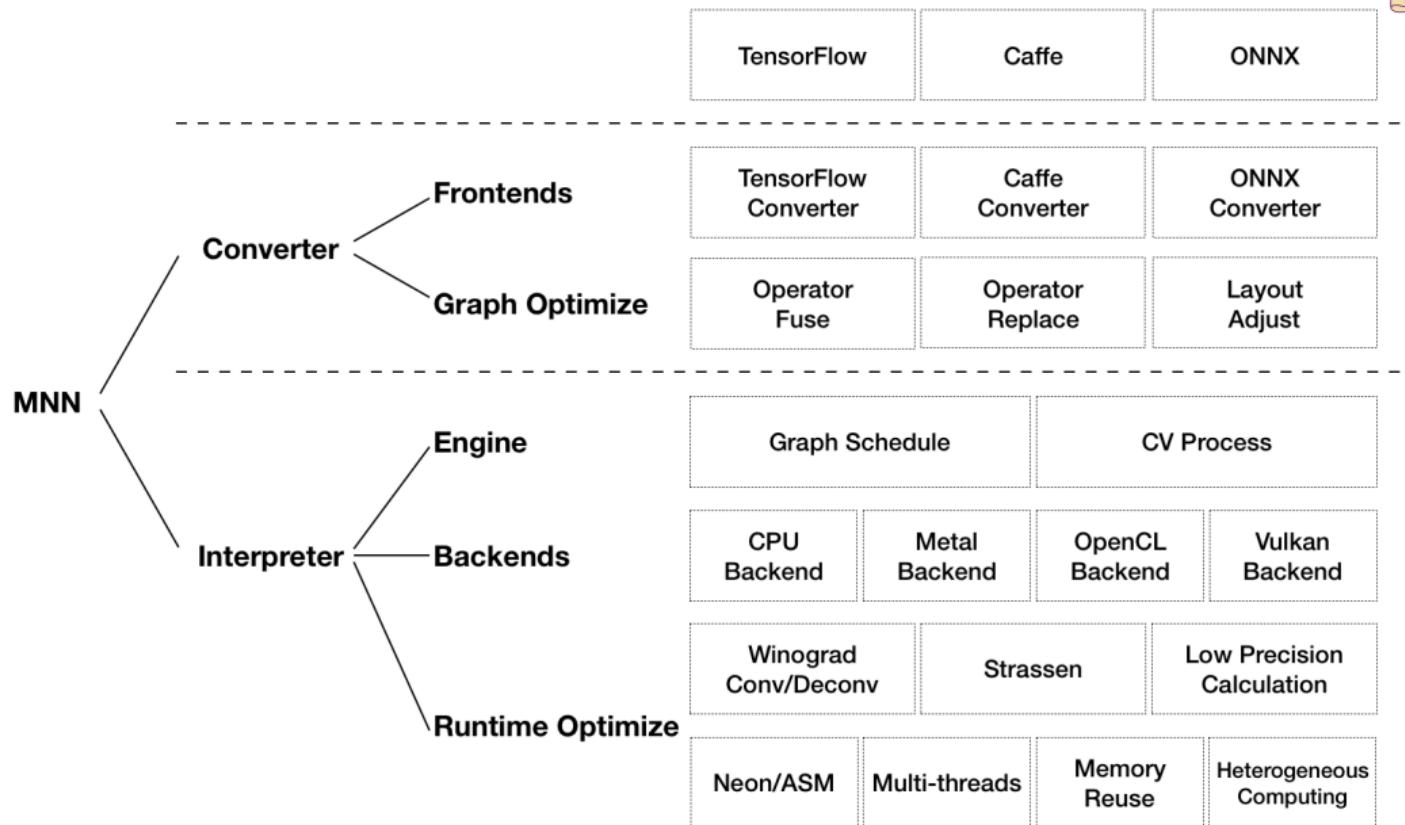
# Overview

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## MNN Backend and Runtime



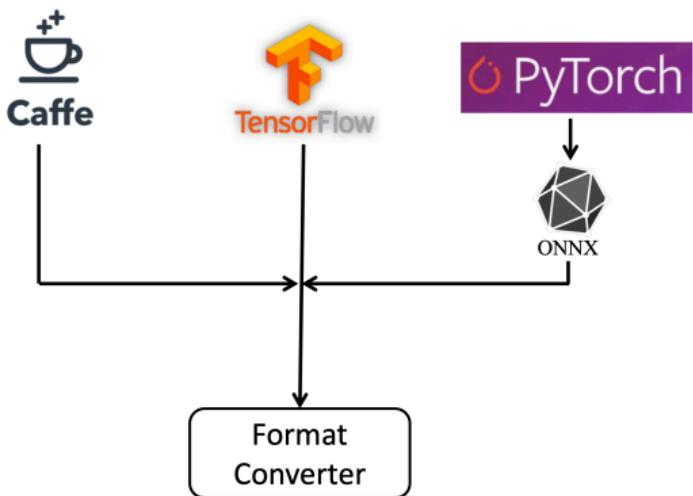
# Architecture<sup>1</sup>



<sup>1</sup> Xiaotang Jiang et al. (2020). "MNN: A Universal and Efficient Inference Engine". In: Proc. MESys.



# Frontends



- ▶ Caffe Deep Learning Framework
- ▶ TensorFlow Deep Learning Framework
- ▶ Pytorch Deep Learning Framework



- ▶ PyTorch is a **python** package that provides two high-level features:
  - ▶ Tensor computation (like numpy) with strong GPU acceleration
  - ▶ Deep Neural Networks built on a tape-based autograd system
- ▶ Model Deployment:
  - ▶ For high-performance inference deployment for trained models, export to **ONNX** format and optimize and deploy with **NVIDIA TensorRT** or **MNN** inference accelerator



# PyTorch Code Sample

```
1 import torch.nn as nn
2 import torch.nn.functional as F
3
4
5 class Net(nn.Module):
6
7     def __init__(self):
8         super(Net, self).__init__()
9         # 1 input image channel, 6 output channels, 3x3 square convolution
10        # kernel
11        self.conv1 = nn.Conv2d(1, 6, 3)
12        self.conv2 = nn.Conv2d(6, 16, 3)
13        # an affine operation: y = Wx + b
14        self.fc1 = nn.Linear(16 * 6 * 6, 120)  # 6*6 from image dimension
15        self.fc2 = nn.Linear(120, 84)
16        self.fc3 = nn.Linear(84, 10)
17
18    def forward(self, x):
19        # Max pooling over a (2, 2) window
20        x = F.max_pool2d(F.relu(self.conv1(x)), (2, 2))
21        # If the size is a square you can only specify a single number
22        x = F.max_pool2d(F.relu(self.conv2(x)), 2)
23        x = x.view(-1, self.num_flat_features(x))
24        x = F.relu(self.fc1(x))
25        x = F.relu(self.fc2(x))
26        x = self.fc3(x)
27
28    def num_flat_features(self, x):
29        size = x.size()[1:]  # all dimensions except the batch dimension
30        num_features = 1
31        for s in size:
32            num_features *= s
33
34        return num_features
35
```



- ▶ TensorFlow is an open source software library for numerical computation using data flow graphs
- ▶ Model Deployment
  - ▶ For high-performance inference deployment for trained models, using **TensorFlow-MNN** integration to optimize models within TensorFlow and deploy with **MNN** inference accelerator



# Tensorflow Code Sample

```
1 import tensorflow as tf
2 from tensorflow.keras import Model, layers
3 import numpy as np
4
5 # Create TF Model.
6 ▼ class NeuralNet(Model):
7     # Set layers.
8     def __init__(self):
9         super(NeuralNet, self).__init__()
10        # First fully-connected hidden layer.
11        self.fc1 = layers.Dense(n_hidden_1, activation=tf.nn.relu)
12        # First fully-connected hidden layer.
13        self.fc2 = layers.Dense(n_hidden_2, activation=tf.nn.relu)
14        # Second fully-connecter hidden layer.
15        self.out = layers.Dense(num_classes)
16
17    # Set forward pass.
18    def call(self, x, is_training=False):
19        x = self.fc1(x)
20        x = self.fc2(x)
21        x = self.out(x)
22        if not is_training:
23            # tf cross entropy expect logits without softmax, so only
24            # apply softmax when not training.
25            x = tf.nn.softmax(x)
26
return x
```



# Caffe

- ▶ Caffe is a deep learning framework made with **expression**, **speed**, and **modularity** in mind:
  - ▶ **Expressive architecture** encourages application and innovation
  - ▶ **Extensible code** fosters active development.
  - ▶ **Speed** makes Caffe perfect for research experiments and industry deployment
- ▶ Model Deployment:
  - ▶ For high-performance inference deployment for trained models, using **Caffe-MNN** integration to optimize models within Caffe and **MNN** inference accelerator



# Caffe Code Sample

```
1  caffe_root = '../'
2  import sys
3  sys.path.insert(0, caffe_root + 'python')
4  import caffe
5  # run scripts from caffe root
6  import os
7  os.chdir(caffe_root)
8  # Download data
9  !data/mnist/get_mnist.sh
10 # Prepare data
11 !examples/mnist/create_mnist.sh
12 # back to examples
13 os.chdir('examples')
14
15 from caffe import layers as L, params as P
16
17 def lenet(lmdb, batch_size):
18     # our version of LeNet: a series of linear and simple nonlinear transformations
19     n = caffe.NetSpec()
20
21     n.data, n.label = L.Data(batch_size=batch_size, backend=P.Data.LMDB, source=lmdb,
22                             transform_param=dict(scale=1./255), ntop=2)
23
24     n.conv1 = L.Convolution(n.data, kernel_size=5, num_output=20, weight_filler=dict(type='xavier'))
25     n.pool1 = L.Pooling(n.conv1, kernel_size=2, stride=2, pool=P.Pooling.MAX)
26     n.conv2 = L.Convolution(n.pool1, kernel_size=5, num_output=50, weight_filler=dict(type='xavier'))
27     n.pool2 = L.Pooling(n.conv2, kernel_size=2, stride=2, pool=P.Pooling.MAX)
28     n.fc1 = L.InnerProduct(n.pool2, num_output=500, weight_filler=dict(type='xavier'))
29     n.relu1 = L.ReLU(n.fc1, in_place=True)
30     n.score = L.InnerProduct(n.relu1, num_output=10, weight_filler=dict(type='xavier'))
31     n.loss = L.SoftmaxWithLoss(n.score, n.label)
32
33     return n.to_proto()
34
35 with open('mnist/lenet_auto_train.prototxt', 'w') as f:
36     f.write(str(lenet('mnist/mnist_train_lmdb', 64)))
37
38 with open('mnist/lenet_auto_test.prototxt', 'w') as f:
39     f.write(str(lenet('mnist/mnist_test_lmdb', 100)))
```



# Data Layout Formats<sup>2</sup>

- ▶ N is the batch size
- ▶ C is the number of feature maps
- ▶ H is the image height
- ▶ W is the image width

**EXAMPLE**  
N = 1  
C = 64  
H = 5  
W = 4

c = 0	0	1	2	3
	4	5	6	7
	8	9	10	11
	12	13	14	15
	16	17	18	19

c = 1	20	21	22	23
	24	25	26	27
	28	29	30	31
	32	33	34	35
	36	37	38	39

c = 2	40	41	42	43
	44	45	46	47
	48	49	50	51
	52	53	54	55
	56	57	58	59

c = 30	600	601	602	603
	604	605	606	607
	608	609	610	611
	612	613	614	615
	616	617	618	619

c = 31	620	621	622	623
	624	625	626	627
	628	629	630	631
	632	633	634	635
	636	637	638	639

c = 32	640	641	642	643
	644	645	646	647
	648	649	650	651
	652	653	654	655
	656	657	658	659

c = 62	1240	1241	1242	1243
	1244	1245	1246	1247
	1248	1249	1250	1251
	1252	1253	1254	1255
	1256	1257	1258	1259

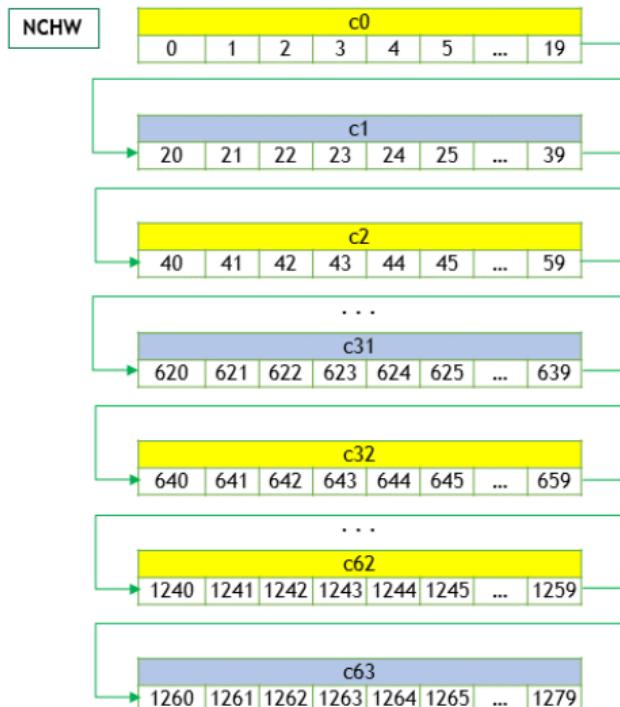
c = 63	1260	1261	1262	1263
	1264	1265	1266	1267
	1268	1269	1270	1271
	1272	1273	1274	1275
	1276	1277	1278	1279

<sup>2</sup><https://docs.nvidia.com/deeplearning/cudnn/developer-guide/index.html>



# NCHW Memory Layout

- ▶ Begin with first channel ( $c=0$ ), elements arranged contiguously in row-major order
- ▶ Continue with second and subsequent channels until all channels are laid out



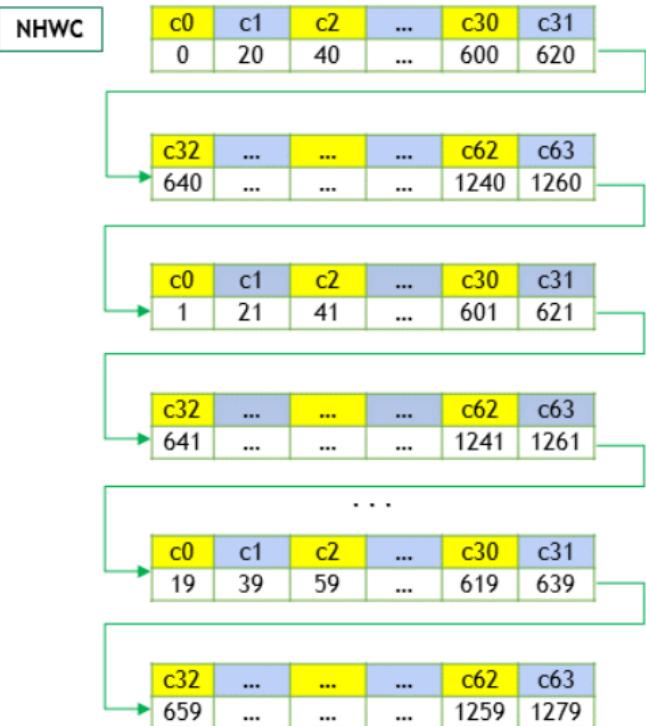


# NHWC Memory Layout

- ▶ Begin with the first element of channel 0, then proceed to the first element of channel 1, and so on, until the first elements of all the C channels are laid out
- ▶ Next, select the second element of channel 0, then proceed to the second element of channel 1, and so on, until the second element of all the channels are laid out
- ▶ Follow the row-major order of channel 0 and complete all the elements
- ▶ Proceed to the next batch (if **N** is > 1)



# NHWC Memory Layout





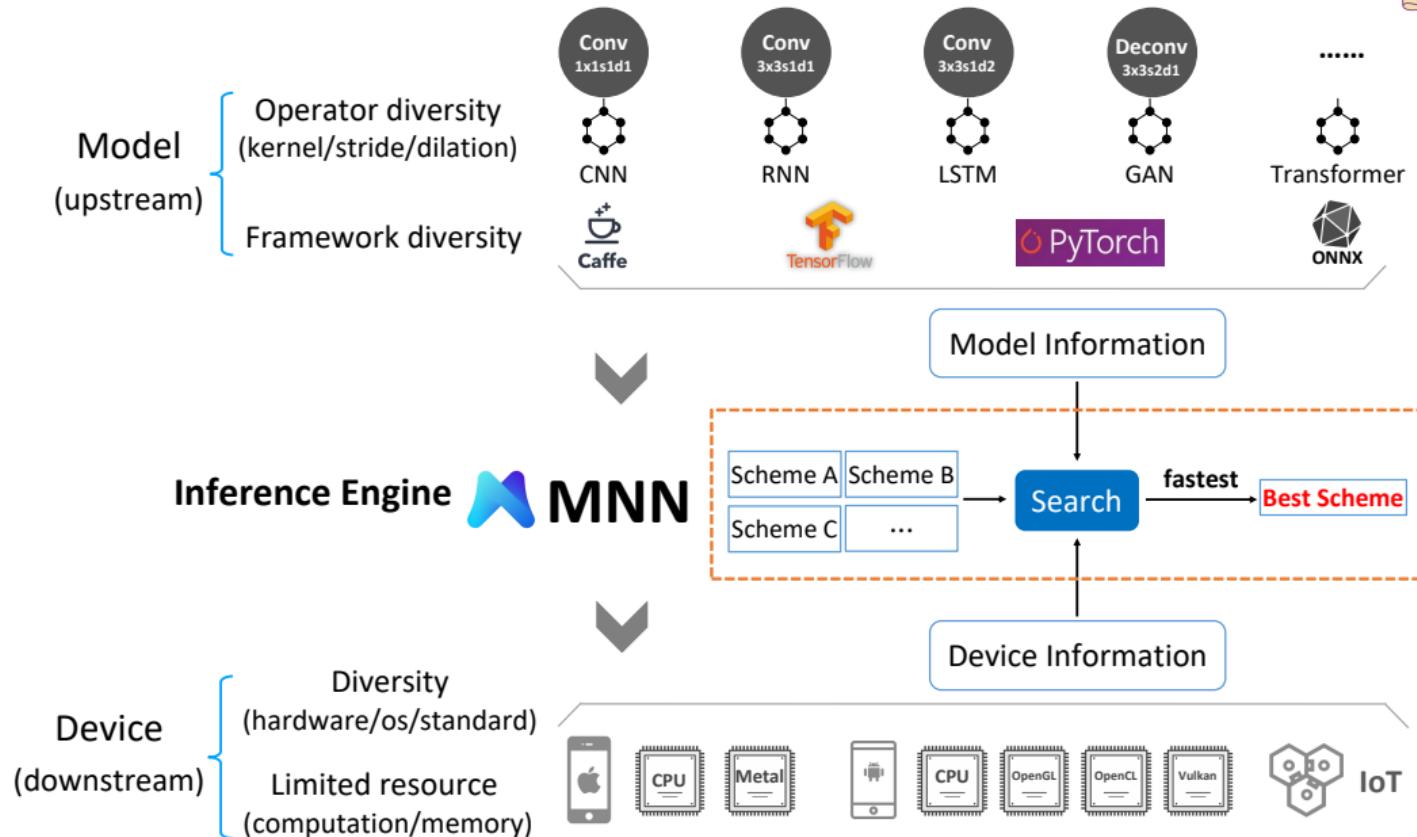
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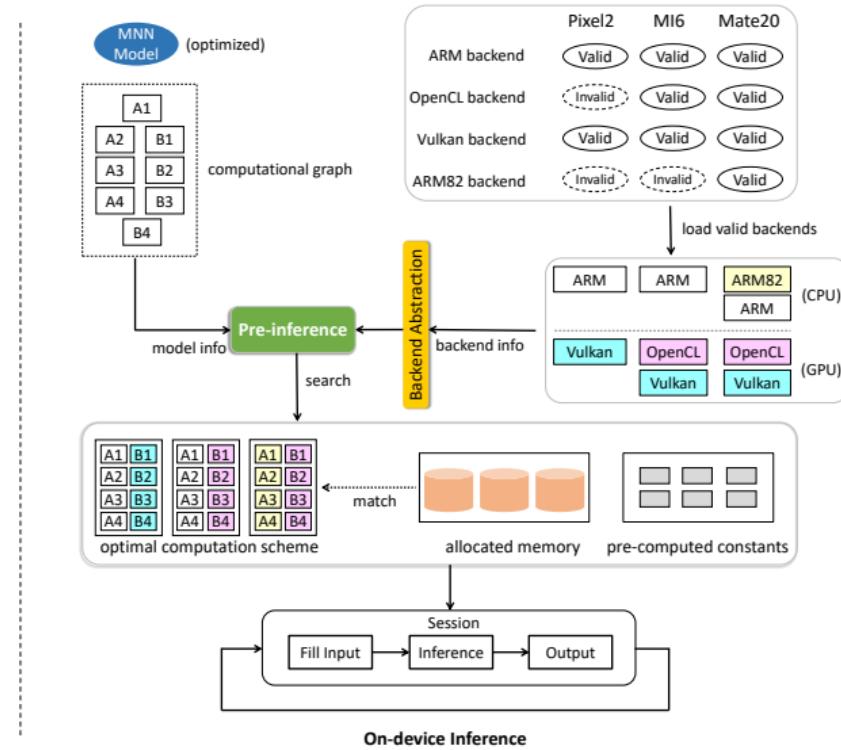
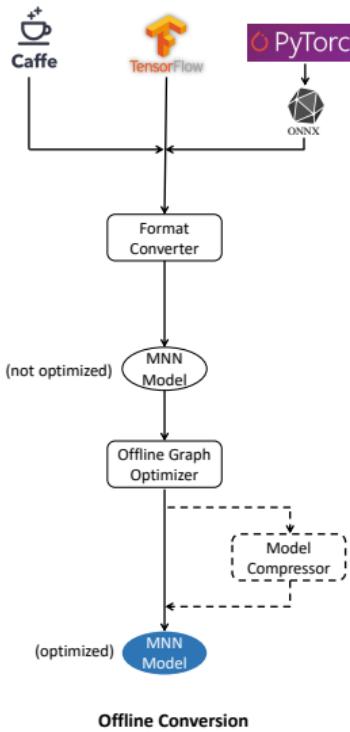


# Overview of the proposed Mobile Neural Network



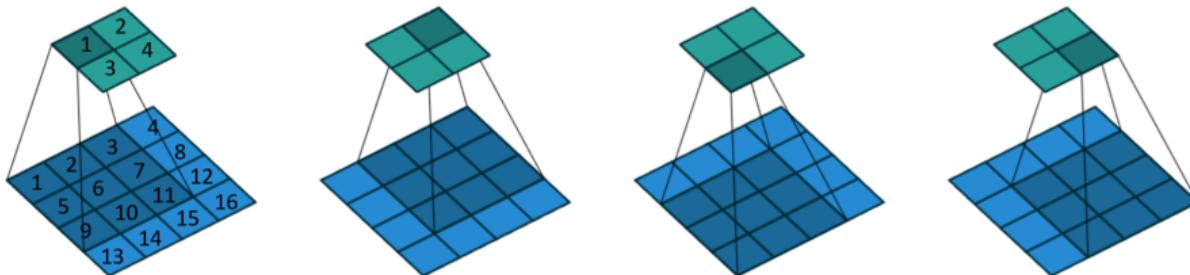


# On-device inference





# What is Convolution?

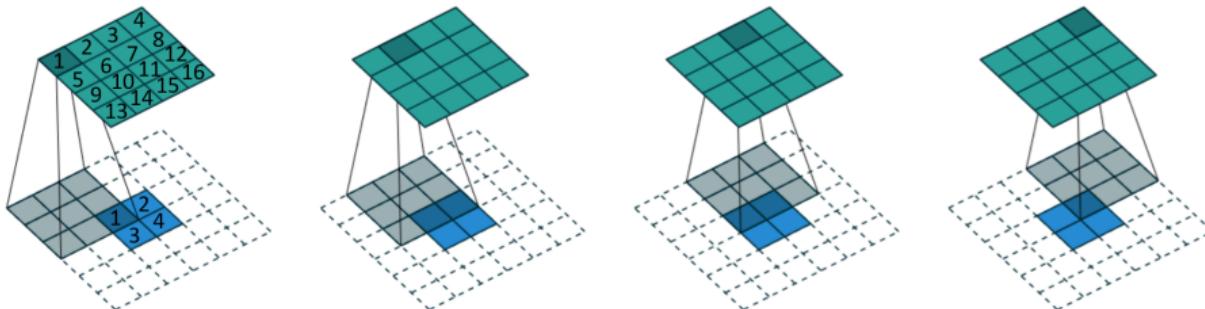


The calculation process of convolutional layer

- ▶ No padding
- ▶ Unit strides
- ▶  $3 \times 3$  kernel size
- ▶  $4 \times 4$  input feature map



# What is Deconvolution (transposed convolution)?<sup>3</sup>



The calculation process of deconvolutional layer

- ▶  $2 \times 2$  padding with border of zeros
- ▶ Unit strides
- ▶  $3 \times 3$  kernel size
- ▶  $4 \times 4$  input feature map

<sup>3</sup>Vincent Dumoulin and Francesco Visin (2016). "A guide to convolution arithmetic for deep learning". In: *arXiv preprint arXiv:1603.07285*.



# Strassen Algorithm<sup>4</sup>

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<sup>4</sup> Jason Cong and Bingjun Xiao (2014). "Minimizing computation in convolutional neural networks". In: *Proc. ICANN*, pp. 281–290.



# Strassen Algorithm

Matrix size	w/o Strassen	w/ Strassen
(256, 256, 256)	23	23
(512, 512, 512)	191	<b>176</b> (↓ 7.9%)
(512, 512, 1024)	388	<b>359</b> (↓ 7.5%)
(1024, 1024, 1024)	1501	<b>1299</b> (↓ 13.5%)

```
class XPUBackend final : public Backend {  
public:  
    XPUBackend(MNNForwardType type, MemoryMode mode);  
  
    virtual ~XPUBackend();  
  
    virtual Execution* onCreate(const vector<Tensor*>& inputs,  
                               const vector<Tensor*>& outputs, const MNN::Op* op);  
  
    virtual void onExecuteBegin() const;  
    virtual void onExecuteEnd() const;  
  
    virtual bool onAcquireBuffer(const Tensor* tensor, StorageType storageType);  
    virtual bool onReleaseBuffer(const Tensor* tensor, StorageType storageType);  
    virtual bool onClearBuffer();  
  
    virtual void onCopyBuffer(const Tensor* srcTensor, const Tensor* dstTensor) const;  
};
```



# Winograd Algorithm<sup>5</sup>

## 4. Fast Algorithms

It has been known since at least 1980 that the minimal filtering algorithm for computing  $m$  outputs with an  $r$ -tap FIR filter, which we call  $F(m, r)$ , requires

$$\mu(F(m, r)) = m + r - 1 \quad (3)$$

multiplications [16, p. 39]. Also, we can nest minimal 1D algorithms  $F(m, r)$  and  $F(n, s)$  to form minimal 2D algorithms for computing  $m \times n$  outputs with an  $r \times s$  filter, which we call  $F(m \times n, r \times s)$ . These require

$$\begin{aligned} \mu(F(m \times n, r \times s)) &= \mu(F(m, r))\mu(F(n, s)) \\ &= (m + r - 1)(n + s - 1) \end{aligned} \quad (4)$$

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<sup>5</sup> Andrew Lavin and Scott Gray (2016). “Fast Algorithms for Convolutional Neural Networks”. In: *Proc. CVPR*, pp. 4013–4021.



# Winograd Algorithm<sup>5</sup>

## 4.1. F(2x2,3x3)

The standard algorithm for  $F(2, 3)$  uses  $2 \times 3 = 6$  multiplications. Winograd [16, p. 43] documented the following minimal algorithm:

$$F(2, 3) = \begin{bmatrix} d_0 & d_1 & d_2 \\ d_1 & d_2 & d_3 \end{bmatrix} \begin{bmatrix} g_0 \\ g_1 \\ g_2 \end{bmatrix} = \begin{bmatrix} m_1 + m_2 + m_3 \\ m_2 - m_3 - m_4 \end{bmatrix}$$

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<sup>5</sup> Andrew Lavin and Scott Gray (2016). “Fast Algorithms for Convolutional Neural Networks”. In: *Proc. CVPR*, pp. 4013–4021.



# Winograd Algorithm<sup>5</sup>

Fast filtering algorithms can be written in matrix form as:

$$Y = A^T [(Gg) \odot (B^T d)] \quad (6)$$

where  $\odot$  indicates element-wise multiplication. For  $F(2, 3)$ , the matrices are:

$$\begin{aligned} B^T &= \begin{bmatrix} 1 & 0 & -1 & 0 \\ 0 & 1 & 1 & 0 \\ 0 & -1 & 1 & 0 \\ 0 & 1 & 0 & -1 \end{bmatrix} \\ G &= \begin{bmatrix} 1 & 0 & 0 \\ \frac{1}{2} & \frac{1}{2} & \frac{1}{2} \\ \frac{1}{2} & -\frac{1}{2} & \frac{1}{2} \\ 0 & 0 & 1 \end{bmatrix} \\ A^T &= \begin{bmatrix} 1 & 1 & 1 & 0 \\ 0 & 1 & -1 & -1 \end{bmatrix} \\ g &= [g_0 \ g_1 \ g_2]^T \\ d &= [d_0 \ d_1 \ d_2 \ d_3]^T \end{aligned} \quad (7)$$

---

<sup>5</sup> Andrew Lavin and Scott Gray (2016). “Fast Algorithms for Convolutional Neural Networks”. In: *Proc. CVPR*, pp. 4013–4021.



# Winograd Algorithm<sup>5</sup>

A minimal 1D algorithm  $F(m, r)$  is nested with itself to obtain a minimal 2D algorithm,  $F(m \times m, r \times r)$  like so:

$$Y = A^T \left[ [GgG^T] \odot [B^T dB] \right] A \quad (8)$$

where now  $g$  is an  $r \times r$  filter and  $d$  is an  $(m + r - 1) \times (m + r - 1)$  image tile. The nesting technique can be generalized for non-square filters and outputs,  $F(m \times n, r \times s)$ , by nesting an algorithm for  $F(m, r)$  with an algorithm for  $F(n, s)$ .

$F(2 \times 2, 3 \times 3)$  uses  $4 \times 4 = 16$  multiplications, whereas the standard algorithm uses  $2 \times 2 \times 3 \times 3 = 36$ . This

---

<sup>5</sup> Andrew Lavin and Scott Gray (2016). “Fast Algorithms for Convolutional Neural Networks”. In: *Proc. CVPR*, pp. 4013–4021.



# Winograd Algorithm<sup>5</sup>

The transforms for  $F(3 \times 3, 2 \times 2)$  are given by:

$$B^T = \begin{bmatrix} 1 & 0 & -1 & 0 \\ 0 & 1 & 1 & 0 \\ 0 & -1 & 1 & 0 \\ 0 & -1 & 0 & 1 \end{bmatrix}, G = \begin{bmatrix} 1 & 0 \\ \frac{1}{2} & \frac{1}{2} \\ \frac{1}{2} & -\frac{1}{2} \\ 0 & 1 \end{bmatrix} \quad (14)$$
$$A^T = \begin{bmatrix} 1 & 1 & 1 & 0 \\ 0 & 1 & -1 & 0 \\ 0 & 1 & 1 & 1 \end{bmatrix}$$

With  $(3 + 2 - 1)^2 = 16$  multiplies versus direct convolution's  $3 \times 3 \times 2 \times 2 = 36$  multiplies, it achieves the same  $36/16 = 2.25$  arithmetic complexity reduction as the corresponding forward propagation algorithm.

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<sup>5</sup> Andrew Lavin and Scott Gray (2016). “Fast Algorithms for Convolutional Neural Networks”. In: *Proc. CVPR*, pp. 4013–4021.



# Winograd Algorithm<sup>5</sup>

## 4.3. F(4x4,3x3)

A minimal algorithm for  $F(4, 3)$  has the form:

$$B^T = \begin{bmatrix} 4 & 0 & -5 & 0 & 1 & 0 \\ 0 & -4 & -4 & 1 & 1 & 0 \\ 0 & 4 & -4 & -1 & 1 & 0 \\ 0 & -2 & -1 & 2 & 1 & 0 \\ 0 & 2 & -1 & -2 & 1 & 0 \\ 0 & 4 & 0 & -5 & 0 & 1 \end{bmatrix}$$
$$G = \begin{bmatrix} \frac{1}{4} & 0 & 0 \\ -\frac{1}{4} & -\frac{1}{6} & -\frac{1}{6} \\ -\frac{1}{6} & \frac{1}{6} & -\frac{1}{6} \\ \frac{1}{24} & \frac{1}{12} & \frac{1}{6} \\ \frac{1}{24} & -\frac{1}{12} & \frac{1}{6} \\ 0 & 0 & 1 \end{bmatrix} \quad (15)$$
$$A^T = \begin{bmatrix} 1 & 1 & 1 & 1 & 1 & 0 \\ 0 & 1 & -1 & 2 & -2 & 0 \\ 0 & 1 & 1 & 4 & 4 & 0 \\ 0 & 1 & -1 & 8 & -8 & 1 \end{bmatrix}$$

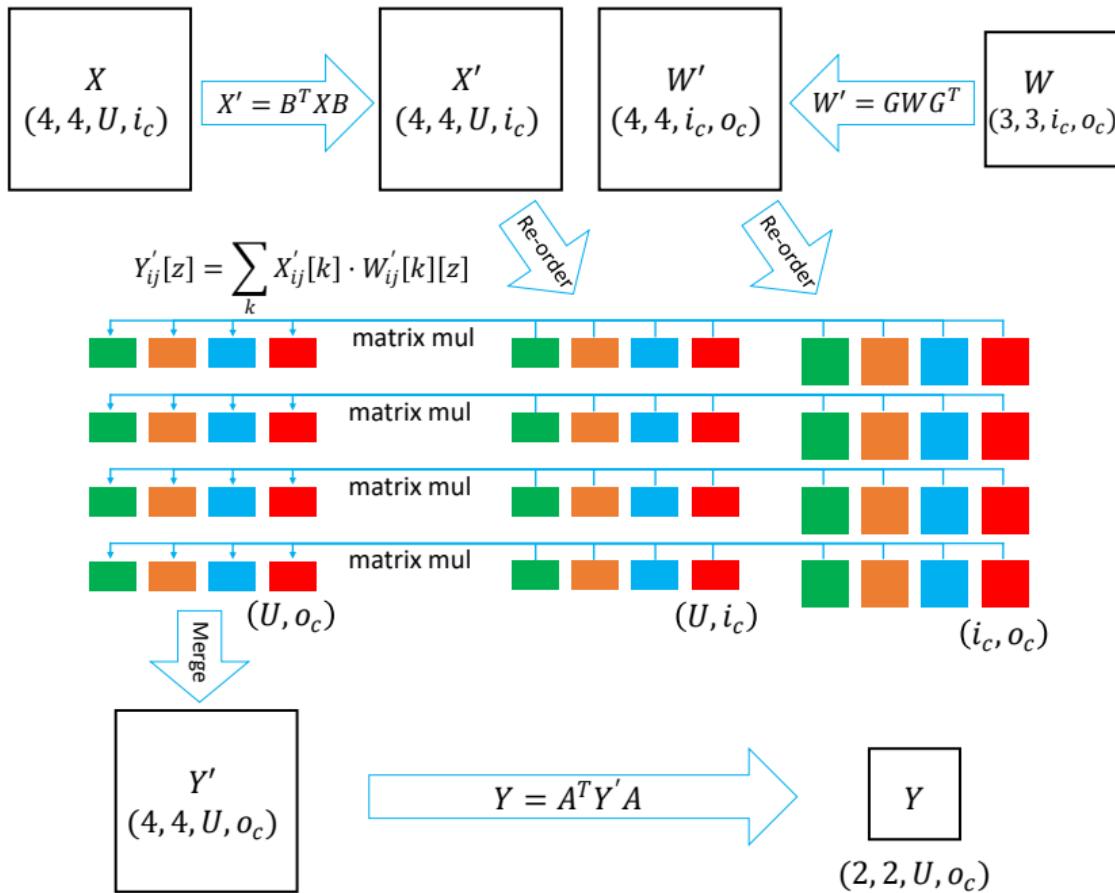
The data transform uses 12 floating point instructions, the filter transform uses 8, and the inverse transform uses 10.

Applying the nesting formula yields a minimal algorithm for  $F(4 \times 4, 3 \times 3)$  that uses  $6 \times 6 = 36$  multiplies, while the standard algorithm uses  $4 \times 4 \times 3 \times 3 = 144$ . This is an arithmetic complexity reduction of 4.

<sup>5</sup> Andrew Lavin and Scott Gray (2016). “Fast Algorithms for Convolutional Neural Networks”. In: *Proc. CVPR*, pp. 4013–4021.

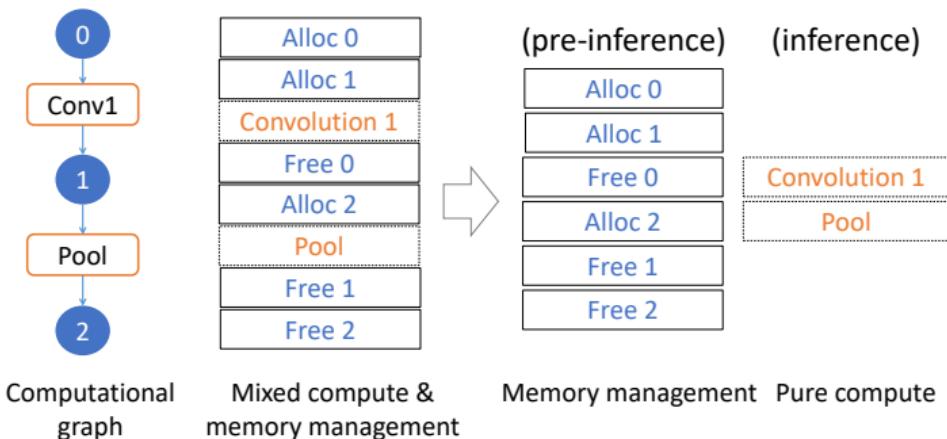


# Optimized Winograd algorithm in MNN





# Memory optimization of MNN



- ▶ MNN can infer the exact required memory for the entire graph:
  - ▶ virtually walking through all operations
  - ▶ summing up all allocation and freeing



# Inference in FP16

- ▶ Training in fp32 and inference in fp16 is expected to get same accuracy as in fp32 most of the time
- ▶ Add batch normalization to activation
- ▶ If it is integer RGB input (0 - 255), normalize it to be float (0 - 1)



# Analysis of FP16 inference

- ▶ Advantages of FP16:
  - ▶ FP16 improves speed (TFLOPS) and performance
  - ▶ FP16 reduces memory usage of a neural network
  - ▶ FP16 data transfers are faster than FP32
- ▶ Disadvantages of FP16:
  - ▶ They must be converted to or from 32-bit floats before they are operated on



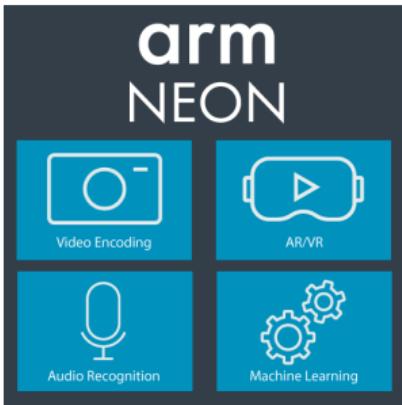
# Neon optimization



- ▶ As a programmer, there are several ways you can use **Neon** technology:
  - ▶ Neon intrinsics
  - ▶ Neon-enabled libraries
  - ▶ Auto-vectorization by your compiler
  - ▶ Hand-coded Neon assembler



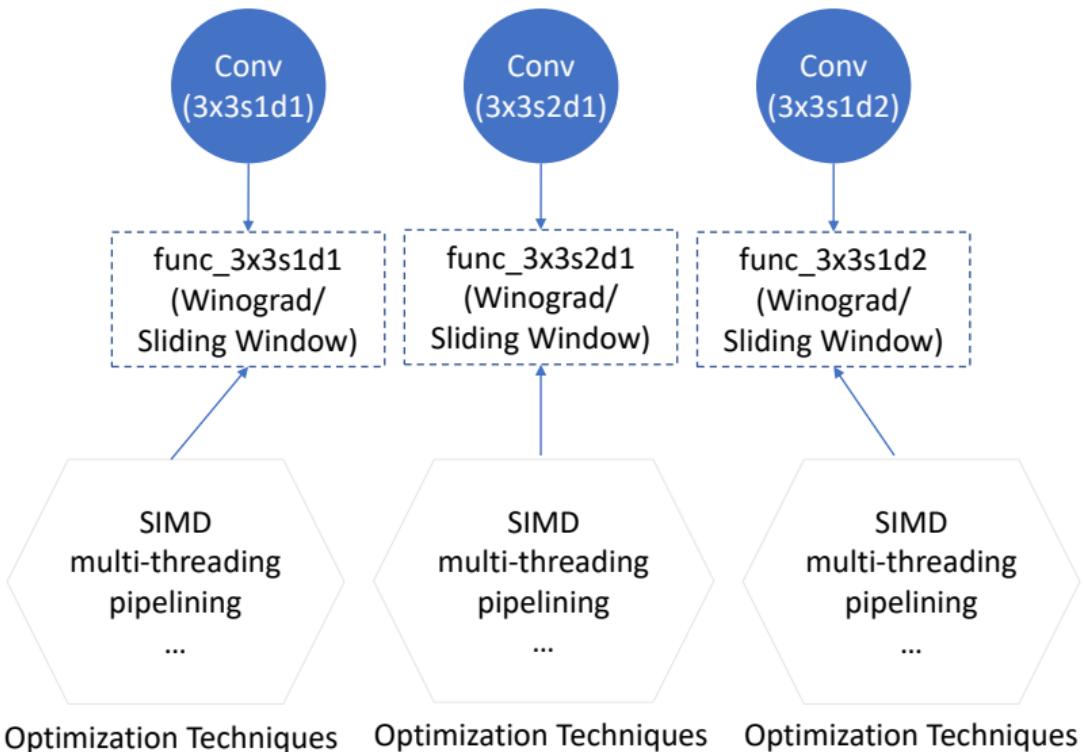
# Why use Neon



- ▶ Support for both integer and floating point operations ensures the adaptability of a broad range of applications, from codecs to High Performance Computing to 3D graphics.
- ▶ Tight coupling to the Arm processor provides a single instruction stream and a unified view of memory, presenting a single development platform target with a simpler tool flow

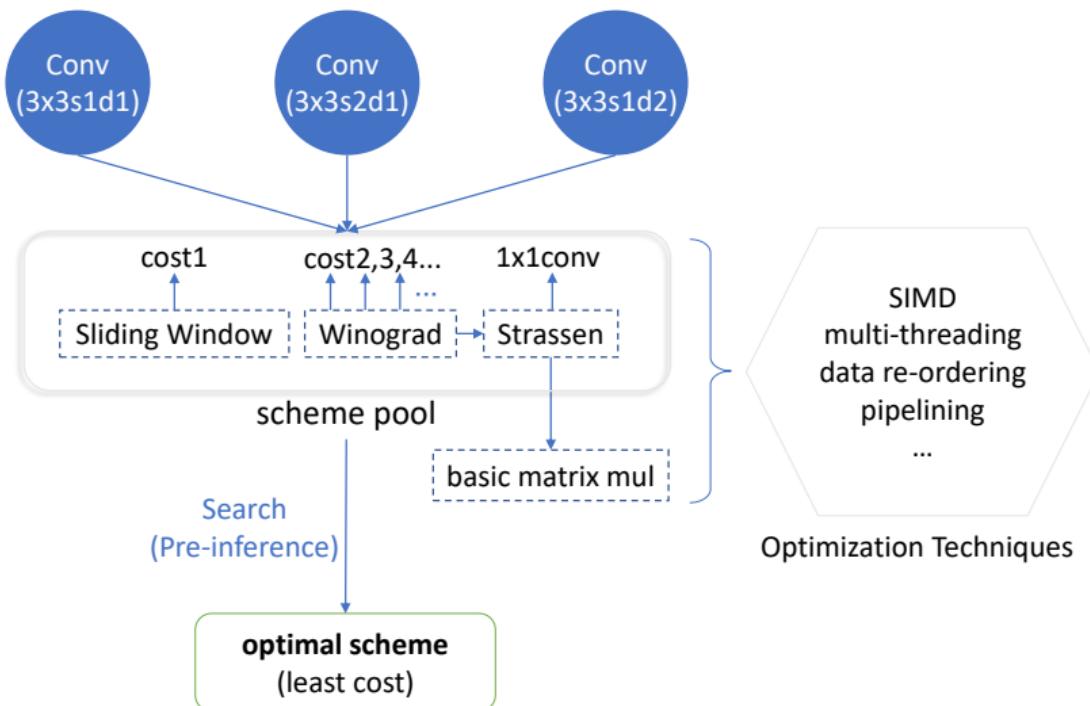


# Manual Search



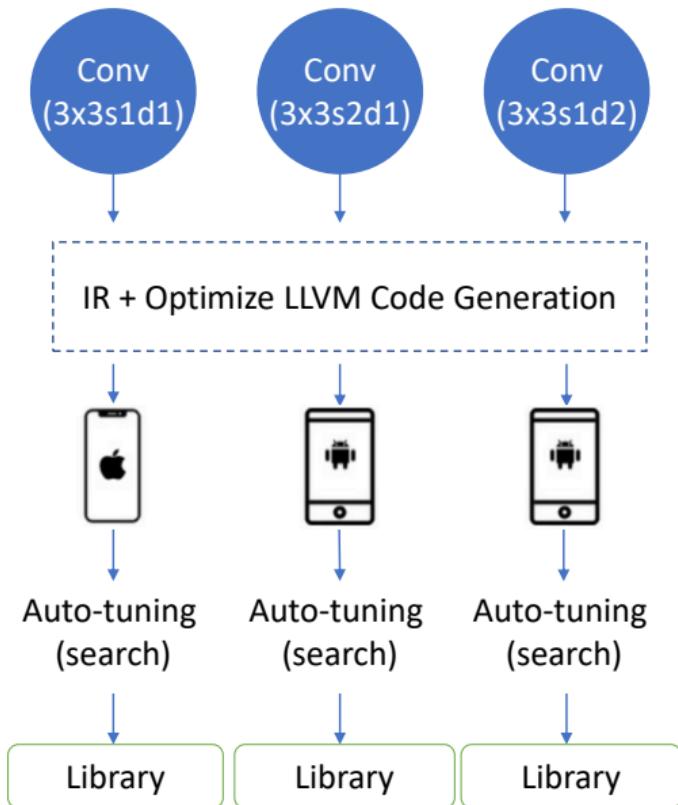


# Semi-automated Search





# Automated Search



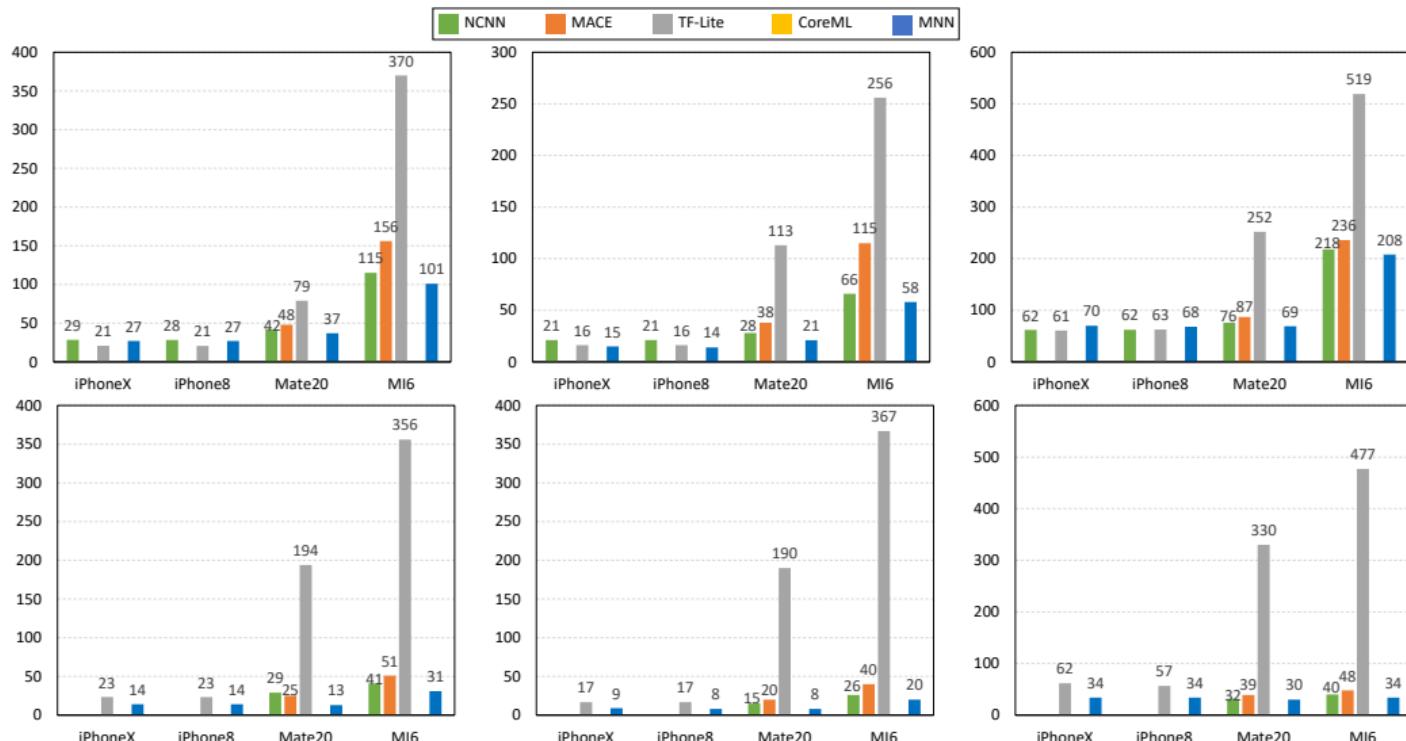
# Performance on different smartphones and networks



- ▶ Generally, MNN outperforms other inference engines under almost all settings by about 20% – 40%, regardless of the smartphones, backends, and networks
- ▶ For CPU, on average, 4-thread inference with MNN is about 30% faster than others on iOS platforms, and about 34% faster on Android platforms
- ▶ For Metal GPU backend on iPhones, MNN is much faster than TF-Lite, a little slower than CoreML but still comparable



# Performance on different smartphones and networks



# Performance on different smartphones and networks

