Homework 2 Solution

SPECIAL NOTICE: for binary search tree (including AVL and B-tree) insertion and deletion operations, the following answers are only recommended. The answers may not be unique since there are many ways to finish the operations, e.g. deleting an element in a binary search tree is not unique. Different books could also describe different algorithms for these operations. However, the basic idea remains the same.

3.2 (2);

(((9-2)+3)*(7-1)) 60

3.3 (2);

(4 - ((5 * 6) /(7 + 8))) 2

3.5;

Advantage: dynamically change the size of the stack; no need to pre-assign the memory for the stack

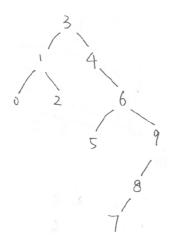
Disadvantage: additional space is needed to store the pointers; implementation is more complicated than the continuous array based implementation

3.9;

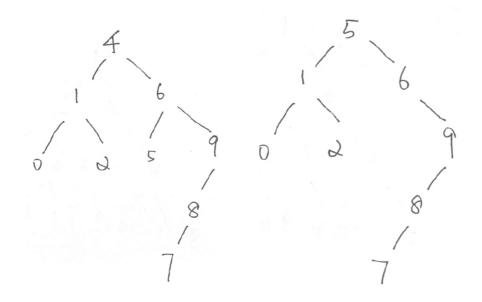
Prefix: -**ab+cde
Infix: (((a*b)*(c+d))-e)
Postfix: ab*cd+*e-

3.10;

(1) after insertion, the tree is :

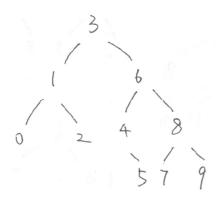


(2) after deleting the root twice, the trees are:

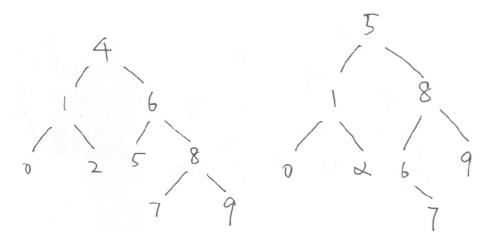




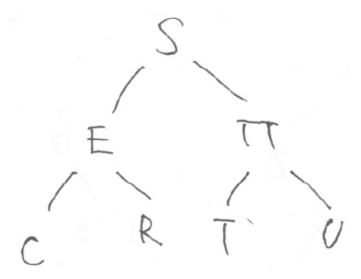
(1) after insertion, the AVL tree is :



(2) after deleting the root twice, the trees are:

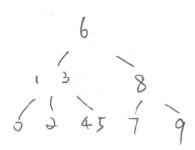


3.12 (2);



3.18;

(1) after insertion, the 2-3 tree is:



(2) after deleting 0, 9, 1 and 5, the tree are as follows:

4.1 (1) and (2);

open hash table:

0			
1	4371		
2			
3	1323	6173	
4	4344		
5			
6			
7			
8			
9	4199	9679	1989

closed hash table:

0	0070	
•	9679	
1	4371	
2	1989	
3	1323	
4	6173	
5	4344	
6		
7		
8		
9	4199	

4.4;

(1) True

(2) False

(3) 3000,007 bits

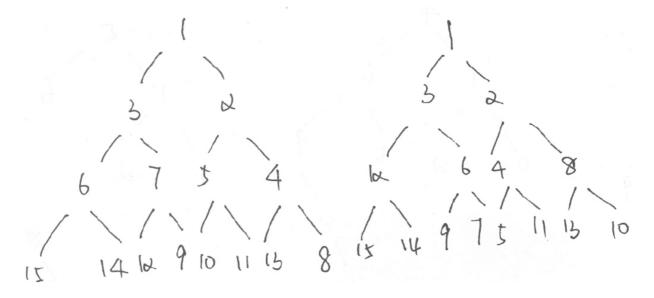
(4)(5) The problem is not clearly defined.

4.15;

$$1 + 2 + \dots + N = O(N^2)$$

5.1;

The built trees are as follows, corresponding to (1) and (2):



5.2;

After deleting the minimal value for the above heaps three times, the heaps are listed in the following. The left is for 5.1 (1); while the right is for 5.1(2).

